- 1. Consider a 3-dimensional solid S where the base of S is the region enclosed by the parabola $y = 1 x^2$ and the x-axis and cross-sections perpendicular to the x-axis are squares.
 - (a) Sketch the region of the base of S and include a cross-section of S.
 - (b) Find the area A(x) of the cross section of S at x. (This is what we call an arbitrary cross-section.)
 - (c) By integrating A(x) over an appropriate interval, compute the volume of the solid S.
- 2. Consider a 3-dimensional solid S whose base is the triangular region with vertices (0,0), (1,0), and (0,2) and the cross-sections perpendicular to the y-axis are equilateral triangles.
 - (a) Sketch the region of the base of S and include a cross-section of S.
 - (b) Find a formula for the area of an equilateral triangle with side-length a.
 - (c) Using the formula from part (b), find the area A(y) of the cross section of S at y.
 - (d) By integrating A(y) over an appropriate interval, compute the volume of the solid S.
- 3. Consider a 3-dimensional solid S whose base is the triangular region with vertices (0,0), (2,0), and (0,1) and the cross-section perpendicular to the x-axis are squares. Find the volume of S.
- 4. Find the volume of the solid S which is a right circular cone with height h and base radius r.
- 5. Find the volume of the solid S whose base is a circular disk with radius r and the parallel cross-sections perpendicular to the base are squares.