

# Reminder

- Handouts are due Friday.
- Check WebAssign for online homework.
- Written homework is due Thursday.
- Syllabus last page sign and return by Friday.

# Favorite Quotes from the Survey

- “The mac n cheese is fire.”
- “The fried cod at the C4C is to die for.”
- “1 cheeze-it”
- “village center is better than the C4C”
- “idk what c4c is.”

# Indefinite Integral Domino Chain

- Get in a group of 4 or 5 and start matching the top half of a domino with the bottom half of another domino.
- Split the work: 5-6 cards per person.
- You will need a scratch paper to work out the integrals.
- They should form a chain; when finished, they become a loop.
- You got 10 minutes.

# Daily Quiz

- Go to [Socrative.com](https://www.socrative.com) and complete the quiz.
- Use your full name.
- Room Name: HONG5824

## 5.5 The Substitution Rule (Review)

Find  $\int x^3 \cos(x^4 + 2) dx$ .

## 5.5 The Substitution Rule (Review)

Find  $\int \frac{x}{\sqrt{1-4x^2}} dx$ .

## 5.5 The Substitution Rule (Review)

**Two possible substitutions** Evaluate  $\int \sqrt{2x + 1} dx$ .

1.

## 5.5 The Substitution Rule (Review)

**Two possible substitutions** Evaluate  $\int \sqrt{2x + 1} dx$ .

2.



## 5.5 Changing Boundary Values for the u-Substitution

**5** **The Substitution Rule for Definite Integrals** If  $g'$  is continuous on  $[a, b]$  and  $f$  is continuous on the range of  $u = g(x)$ , then

$$\int_a^b f(g(x))g'(x) dx = \int_{g(a)}^{g(b)} f(u) du$$

## 5.5 Changing Boundaries

Evaluate  $\int_0^4 \sqrt{2x + 1} dx$

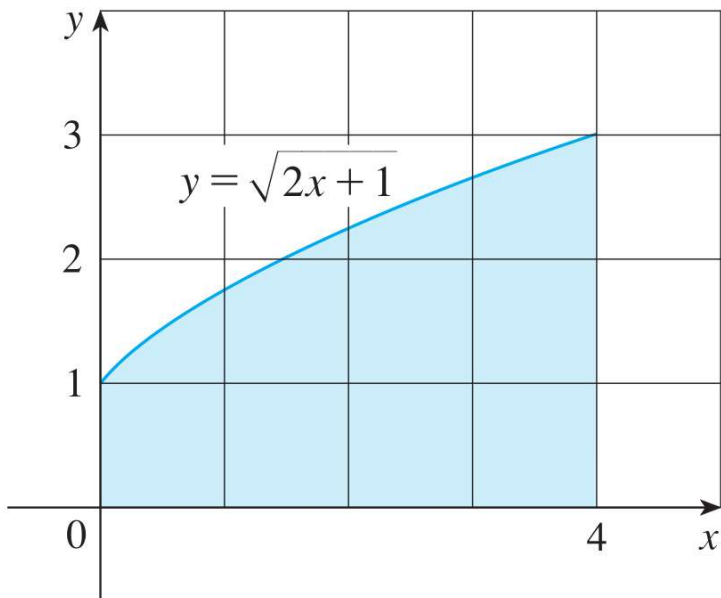
## 5.5 Changing Boundaries

Evaluate  $\int_0^4 \sqrt{2x + 1} dx$

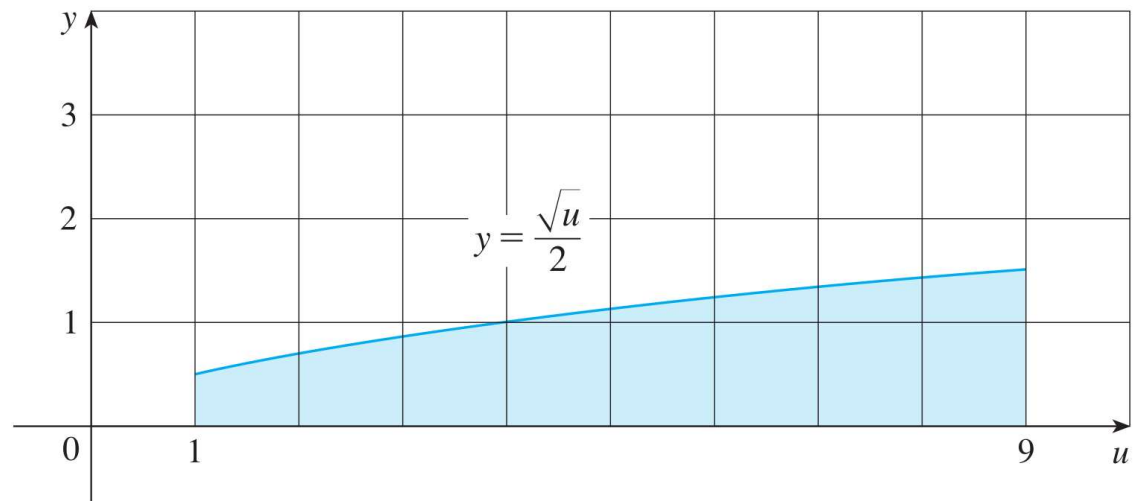
# 5.5 Visualizing the u-Substitution

When we change a variable, we shrink or stretch the region of integration based on the relation between  $du$  and  $dx$ .

$$\int_0^4 \sqrt{2x+1} \, dx$$



$$\int_1^9 \frac{\sqrt{u}}{2} \, du$$



## 5.5 Changing Boundaries

Evaluate  $\int_1^2 \frac{dx}{(3 - 5x)^2}$ .

## 5.5 Changing Boundaries

Calculate  $\int_1^e \frac{\ln x}{x} dx$ .

# 5.6 Integration by Parts Is Product Rule in Reverse

## 5.6 Integration by Parts

$$\int f(x)g'(x) dx = f(x)g(x) - \int g(x)f'(x) dx$$

$$\int u dv = uv - \int v du$$



## 5.6 Integration by Parts

**Integrating by parts** Find  $\int x \sin x \, dx$ .

# Summary

- More u-sub
- Definite integrals with u-sub
- Intro to integration by parts