Match the objects on the left with one or more of the descriptions on the right.

 $1. |\langle 1, 3, 4 \rangle \times \langle 2, -1, 3 \rangle|$ 

$$\underline{\qquad} 2. \ \mathbf{r} = \begin{vmatrix} \mathbf{i} & \mathbf{j} & \mathbf{k} \\ 1 & 3 & 4 \\ 2 & -1 & 3 \end{vmatrix}$$

\_\_\_\_\_3. 
$$(\mathbf{a} \times \mathbf{b}) \cdot c$$
, where  $\mathbf{a} = \langle 1, 3, 4 \rangle$ ,  $\mathbf{b} = \langle 2, -1, 3 \rangle$  and  $c = 5$ .

\_\_\_\_4. 
$$\frac{\mathbf{a} \cdot \mathbf{b}}{|\mathbf{a}| |\mathbf{b}|}$$
, where  $\mathbf{a} = \langle 1, 3, 4 \rangle$  and  $\mathbf{b} = \langle 2, -1, 3 \rangle$ 

\_\_\_\_5. 
$$(\mathbf{a} \cdot \mathbf{b}) \times \mathbf{c}$$
, where  $\mathbf{a} = \langle 1, 3, 4 \rangle$ ,  $\mathbf{b} = \langle 2, -1, 3 \rangle$  and  $\mathbf{c} = \langle 3, 2, 7 \rangle$ 

\_\_\_\_\_6. 
$$\mathbf{r}(t) = \langle 2, -1, 3 \rangle + t \langle 1, 3, 4 \rangle$$

\_\_\_\_\_7. 
$$\mathbf{r}(t) = \langle 1, 3, 4 \rangle + t \langle 2, -1, 3 \rangle$$

\_\_\_\_\_8. The intersection of the graphs of 
$$2x - 2y + z = 9$$
 and  $11x + 7y - 8z = -9$ 

\_\_\_\_\_9. The set of points satisfying 
$$\frac{x-2}{1} = \frac{y+1}{3} = \frac{z-3}{4}$$
.

$$10. \langle 1, 3 \rangle \cdot \langle x - 3, y - 2 \rangle = 0$$

\_\_\_\_11. 
$$\langle 1, 3, 4 \rangle \cdot \langle x - 3, y - 2, z - 7 \rangle = 0$$

$$12. x + 3y + 4z = \langle 3, 2, 7 \rangle$$

\_\_\_\_13. 
$$\mathbf{g}(t) = \langle 2t+1, -t+3, 3t+4 \rangle$$

\_\_\_\_\_14. 
$$z = f \circ \mathbf{g}$$
, where  $f(x,y) = \sqrt{x^2 + y^2}$  and  $\mathbf{g}(t) = \langle 2t + 1, -t + 3, 3t + 4 \rangle$ 

\_\_\_\_\_15. 
$$z = \mathbf{g} \circ f$$
, where  $f(x,y) = \sqrt{x^2 + y^2}$  and  $\mathbf{g}(t) = \langle 2t + 1, -t + 3, 3t + 4 \rangle$ 

$$2 - 16. \ z = \sqrt{x^2 + y^2}$$

$$2 - 2 - 17$$
.  $z = x^2 + 5$ 

\_\_\_\_\_18. 
$$5 = x^2 + y^2$$

$$\underline{\qquad} 19. \ z = x^2 + y^2 + w^2$$

20. 
$$z^2 = x^2 + y^2$$

- a. This thing doesn't even make sense.
- b. A scalar
- c. A vector
- d. A scalar function
- e. A vector function
- f. A vector perpendicular to both  $\langle 1, 3, 4 \rangle$  and  $\langle 2, -1, 3 \rangle$
- g. The area of a parallelogram whose edges are the vectors  $\langle 1,3,4 \rangle$  and  $\langle 2,-1,3 \rangle$
- h. The volume of a parallelepiped, with edges  ${\bf a},\,{\bf b}$  and  ${\bf c}$
- i. The cosine of the angle between  ${\bf a}$  and  ${\bf b}$
- j. A line in the direction  $\langle 1, 3, 4 \rangle$
- k. A line through the points (1,3,4) and (3,2,7)
- 1. The line 3y + x = 9, lying in the xy-plane
- m. The line  $\langle 3, 2, 7 \rangle + t \langle 1, 3, 4 \rangle$  lying in 3-space.
- n. The plane in 3-space containing the point (3, 2, 7) and perpendicular to (1, 3, 4).
- o.  $z: \mathbb{R} \to \mathbb{R}$  is a function whose graph is a curve lying in 2-space.
- p. A function mapping  $\mathbb{R}^3 \to \mathbb{R}$
- q. A function mapping  $\mathbb{R} \to \mathbb{R}^3$
- r.  $z: \mathbb{R}^2 \to \mathbb{R}$  is a function of 2 variables, whose graph is a surface lying in 3-space
- s. The graph of this is a surface lying in 3-space, but it is not a function.
- t. A circle, which is a contour line of the function  $f(x,y) = x^2 + y^2$ .
- $\mathbf{u}. \ \mathbb{R} \xrightarrow{\mathbf{g}} \mathbb{R}^3 \xrightarrow{f} \mathbb{R}$
- v.  $\mathbb{R}^2 \xrightarrow{f} \mathbb{R} \xrightarrow{\mathbf{g}} \mathbb{R}^3$